Game-changers:

Detecting shifts in the flow of campaign contributions

Matthew Blackwell University of Rochester October 6th, 2012 RocData Forum







NAME OF COMMITTEE (In Full) Obama for America A. Full Name (Last, First, Middle Initial) Transaction ID: C19176830 Sharon Anderson Date of Receipt Mailing Address 1668 finwick dr 12 2012 08 City State Zip Code NC pfafftown 27040-9043 FEC ID number of contributing С federal political committee. Amount of Each Receipt this Period Name of Employer Occupation 11.00 Intl Consultant The Norman Group Receipt For: 2012 Election Cycle-to-Date ▼ ✓ Primary General Other (specify) ▼ 271.00 B. Full Name (Last, First, Middle Initial) Transaction ID : C20196560 Riaz Hussain Date of Receipt Mailing Address 540 N Webster Ave D D 80 30 2012 City State Zip Code Scranton РΔ 18510 FEC ID number of contributing С federal political committee. Amount of Each Receipt this Period Name of Employer Occupation 35.00 Professor University of Scranton Receipt For: 2012 Election Cycle-to-Date _ ✓ Primary General 225.00 Other (specify) C. Full Name (Last, First, Middle Initial) Transaction ID: C20090710 Dave Baird Date of Receipt Mailing Address 1376 Lincoln St M M / D D / Y Y Y Y

A measurement question

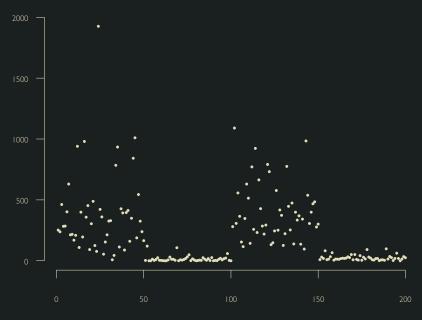
When do campaigns take off or fall flat?

A measurement question

When do campaigns take off or fall flat?

When do campaign contributions take off or fall flat?

Changepoint models detect changepoints



The challenges

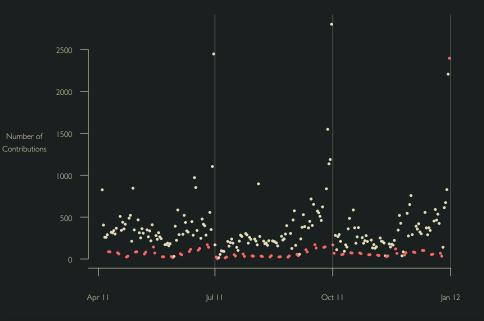
Modeling daily contribution counts

The challenges

Modeling daily contribution counts

Choosing the number of changepoints

Overdispersion in campaign contributions



$$y_t \sim \text{Poisson}(\eta_t \lambda_t)$$
 (data)

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$$s_t = k$$
 (regime)

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$$s_t = k$$
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 $\eta_t \sim {\sf Gamma}(\rho_k, \rho_k)$

$$y_t \sim \mathsf{Poisson}(\eta_t \lambda_t) \tag{data}$$

$$s_t = k \tag{regime}$$

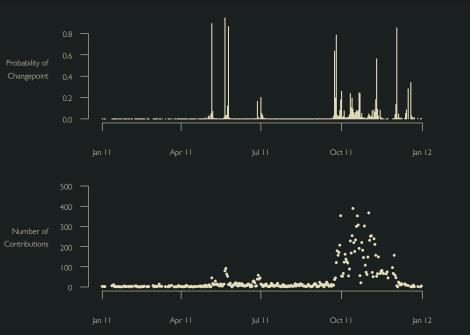
$$\lambda_t = \exp(X_t \beta_k)$$

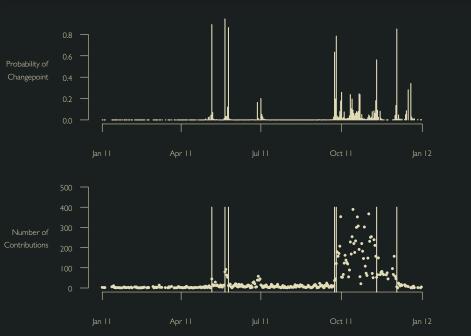
$$\eta_t \sim \mathsf{Gamma}(\rho_k, \rho_k)$$

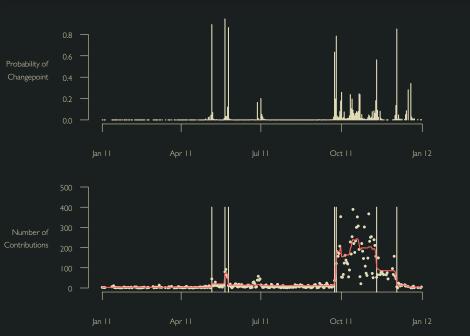
Use a Bayesian nonparametric prior to estimate the number of regimes.

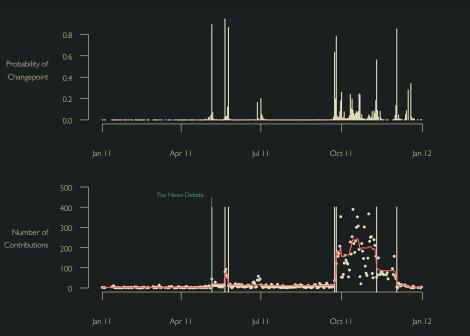


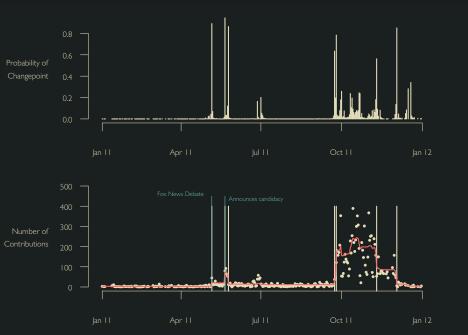


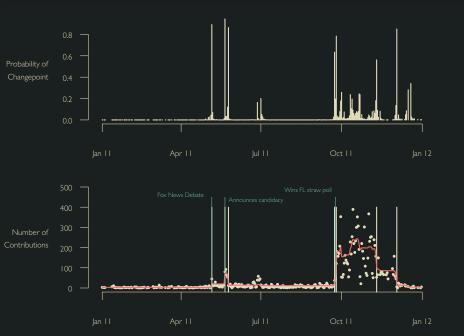


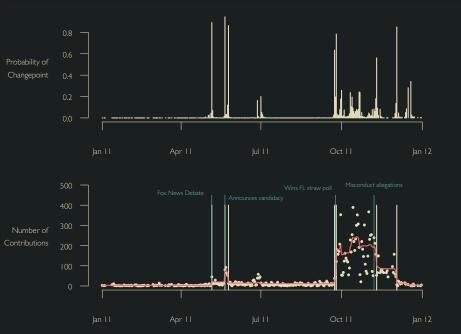


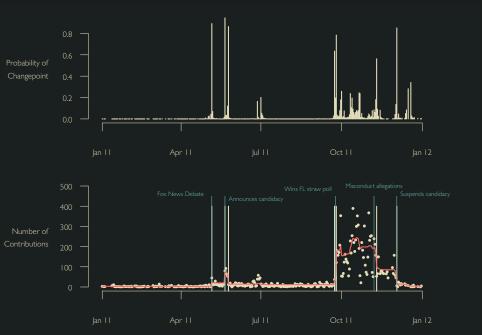


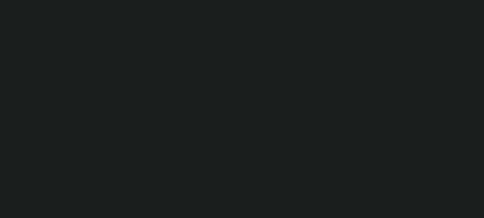












Run on all (digitzed) Congressional races to find more systematic variation.

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Collect fundraising event data and compare with change-points.

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Generalize the Bayesian nonparametric approach beyond count data.